(Corrections are listed in page number order)

- **[p33]** Equation in the fourth line of footnote 7 in Chapter 2 (**p.33**) should be:

  $p'D^i / L^i < p'D^w / L^w$ instead of $p'D^i L^i < p'D^w L^w$

- **[p129]** The second line of the third paragraph under section "Gains from Product Variety in Trade" (**p.129**) should be:

  ", we can obtain an estimate…" instead of ", we can obtain as estimate…"

- **[p159]** The second integral in equation (**6.6**) in Chapter 6 (**p.159**) should be:

  $\int_{\varphi_a}^{\infty} (B_a \varphi^{\sigma-1} - f_d) g(\varphi) d\varphi$ instead of $\int_{\varphi_a}^{\infty} (B_a {\varphi_a}^{\sigma-1} - f_d) g(\varphi) d\varphi$

- **[p161]** Equation in the second line of the fourth paragraph under section "Trade Equilibrium" (**p. 161**) should be:

  $P_x(\varphi) = [\sigma/(\sigma-1)](\tau/\varphi)$ instead of $P_x(\varphi) = [\sigma/(\sigma-1)](\tau/\sigma)$

- **[p164]** The first integral inside the square bracket of equation (**6.17**) in Chapter 6 (**p.164**) should be:

  $M_d \int_{\varphi_d}^{\infty} p_d(\varphi)^{1-\sigma} \frac{g(\varphi)}{[1-G(\varphi_d)]} d\varphi$ instead of $M_d \int_{\varphi_d}^{\infty} p(\varphi)^{1-\sigma} \frac{g(\varphi)}{[1-G(\varphi_d)]} d\varphi$

- **[p184]** The second term in the first long equation under question 6.4 in Chapter 6 (**p.184**) should be:

  $M_d \int_{\varphi_d}^{\infty} [\frac{y_d(\varphi)}{\varphi} + f_d] \frac{g(\varphi)}{[1-G(\varphi_d)]} d\varphi$ instead of $M_d \int_{\varphi_d}^{\infty} [\frac{y(\varphi)}{\varphi} + f_d] \frac{g(\varphi)}{[1-G(\varphi_d)]} d\varphi$

  The second long equation under the same question should be:

$$L = (M_e f_e + M_d f_d + M_x f_x) + (\frac{\sigma - 1}{\sigma}) \left[M_d \int_{\varphi_d}^{\infty} \frac{p(\varphi) y_d(\varphi) g(\varphi)}{[1 - G(\varphi_d)]} d\varphi + M_x \int_{\varphi_x}^{\infty} \frac{p(\varphi) y_x(\varphi) g(\varphi)}{[1 - G(\varphi_x)]} d\varphi \right]$$

$$= (M_e f_e + M_d f_d + M_x f_x) + (\frac{\sigma - 1}{\sigma}) L$$

Instead of

$$L = (M_e f_e + Mf + M_x f_x) + (\frac{\sigma - 1}{\sigma}) \left[M_d \int_{\varphi_d}^{\infty} \frac{p(\varphi) y(\varphi) g(\varphi)}{[1 - G(\varphi_d)]} d\varphi + M_x \int_{\varphi_x}^{\infty} \frac{p(\varphi) y_x(\varphi) g(\varphi)}{[1 - G(\varphi_x)]} d\varphi \right]$$

$$= (M_e f_e + Mf + M_x f_x) + (\frac{\sigma - 1}{\sigma}) L$$

- **[p190]** The very last inequality displayed in the un-numbered equation which is eight lines from the bottom in **p.190** should be:

  $p^a{}' c^{ha} \le w^a{}' v^{ha}$ instead of $p' c^{ha} \le w' v^{ha}$

- **[p191]** The large equation on the page (**p.191**) should be numbered as (7.4).
  The expression in the third line of this large equation should be:

  $(p^a{}' y^a - w^a{}' v^a) - (p' y^a - w' v^a)$ instead of $(p^a{}' y^a - w^a{}' v^h) - (p' y^a - w' v^a)$

- **[p193]** Reference appearing in the first line under section "COMMODITY TAXES AND SUBSIDIES" (**p.193**) should be **Dixit and Norman (1986)** (instead of Dixit (1986)), and the corresponding reference (**p. 441**) should be:

  Dixit, Avinash, and Victor Norman. 1986 "Gains from Trade without Lump Sum Compensation." *Journal of International Economics* 21:111-22.

- **[p197]** The fifth line of the second paragraph under section "PARTIAL REFORM OF TARIFFS" (**p.197**) should be: $t_i < 0$ instead of $t_i > 0$.

- **[p241]** Equation (**8.35b**) in Chapter 8 (**p. 241**) should be:

  $$U = \left(\int_0^1 X_n^{(\varepsilon - 1)/\varepsilon} dn \right)^{\varepsilon/(\varepsilon - 1)} \quad \text{instead of} \quad U = \left(\int_0^1 X_n^{(\varepsilon - 1)/\omega} dn \right)^{\varepsilon/(\varepsilon - 1)}$$

- **[p267]** Equation (**9.12**) in Chapter 9 (**p.267**) should be:

  $p_i = \mu_i[g_i(z_i) + T_i], i = 1, ..., M$ instead of $p_i = \mu_i g_i(z_i), i = 1, ..., M$

- **[p334]** The very last term in equation (**11.5**) in Chapter 11 (**p.334**) should be $\mu_i \hat{K}_i$ instead of $\mu_i K_i$.

- **[p340]** Equation (**11.17**) in Chapter 11 (**p.340**) should be:

  $y = N^{\sigma/(\sigma-1)} x = N^{1/(\sigma-1)} X$ instead of $y = N^{\sigma/(\sigma-1)} x = N^{1/(1-\sigma)} X$